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**Dialogue and shared cognition:
Student-student talk during collaborative
problem solving**

David Clarke and Man Ching Esther Chan
International Centre for Classroom Research (ICCR)
The University of Melbourne




Socially shared cognition

- Vygotsky (1978): Sociocultural theory of learning
- Hutchins (2006): Distributed cognition
- Dunbar (1998): Social brain hypothesis
- Resnick, Levine, and Teasley (1991): Shared cognition
- Mercer (2000) and Littleton and Mercer (2013): Interthinking

We employ the term *socio-cognitive* (Van Dijk, 2008) to both acknowledge the fundamentally social nature of human cognition (Mercer, 2016) and also to contest the image of a cognitively bounded individual.

The Social Unit of Learning Project

- Collaborative problem solving and learning are priorities in contemporary education internationally, but these complex processes have proved difficult to research
- This project uses collaborative problem solving in mathematics to investigate the social nature of learning utilising the new laboratory classroom located in the Melbourne Graduate School of Education

Alternative theoretical frameworks

- Negotiative foci of student interaction
Dr Esther Chan & Prof David Clarke, *The University of Melbourne, Australia*
- Mathematical sophistications in collaborative problem solving
Dr Dung Tran, *Victoria University, Australia*
- Dialogic talk between students
Dr Javier Díez-Palomar, *University of Barcelona, Spain*
- Student motivating desires
Dr Laura Tuohilampi, *University of Helsinki, Finland*
- Students' repertoires of participation
Dr Josephine Moate, *University of Jyväskylä, Finland*
- Student agency and power
Juuso Nieminen, *University of Helsinki, Finland*
- Mathematical competencies
Andreas Pettersen, *University of Oslo, Norway*
- Student interactivity
Prof Anna Sfard, *University of Haifa, Israel*
- Mathematical representation
Dr Sebastian Kuntze and Marita Friesen, *Ludwigsburg University of Education, Germany*
- Synchrony in physiological response
Prof Ross Cunnington and team, *University of Queensland, Australia*

Aim of this paper

- To better understand the socio-cognitive aspect of collaborative problem solving.
- We refer to the notion of *co-cognition* (as employed by Heal, 1998) and propose the terms *inter-cognition* and *intra-cognition* as different kinds of socio-cognitive activity.
- These terms are operationalised using data from the Social Unit of Learning project, which involved student collaborative problem solving activity in a laboratory classroom.



Chief investigator
Professor David Clarke *The University of Melbourne*

Project manager
Dr Esther Chan *The University of Melbourne*

International collaborator
Professor CAO Yiming *Beijing Normal University, China*



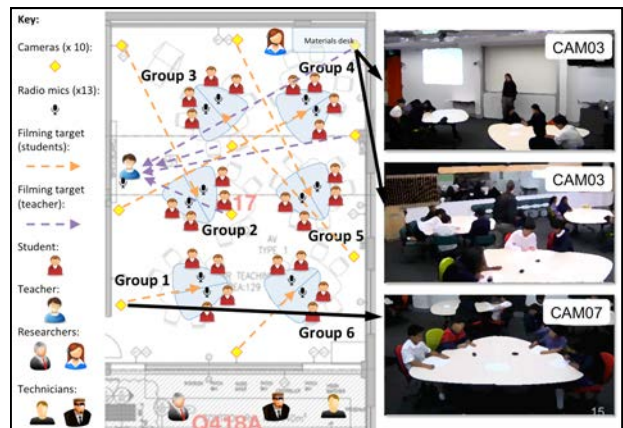
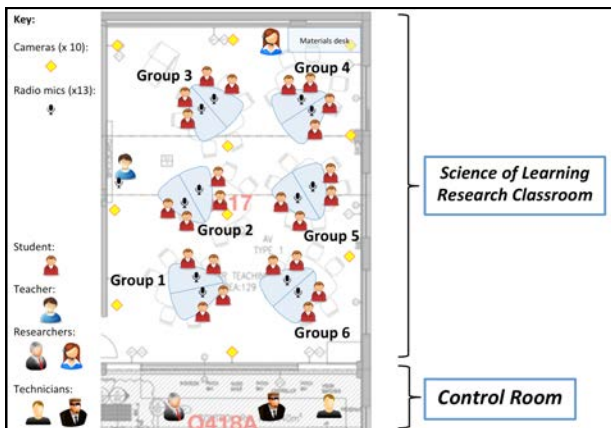

The Science of Learning Research Classroom

The University of Melbourne, Australia



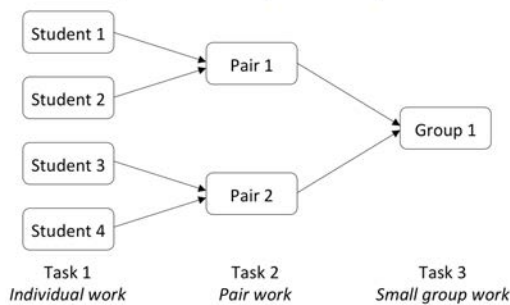
Participants

- A secondary school in metropolitan Melbourne
- 2015-2016: Twelve intact classes of Year 7 students (12 to 13 year olds) with their usual maths teachers (~300 students)
- 24 to 26 students in a class



Activity Structure

(2015 March & April Sessions)



Instructional Stimuli

The mathematical tasks employed had the characteristics of being:

- **open-ended** (amenable to multiple solution methods and having multiple correct answers)
- either explicitly or implicitly including both symbolic and **graphical elements**
- either explicitly or implicitly affording the possibility of connection to **contexts outside the classroom**.

The tasks are taken from the research of Clarke and Sullivan: for example, Clarke (1996), Clarke and Sullivan (1990, 1992), and Sullivan and Clarke (1988, 1991, 1992).

Task Two

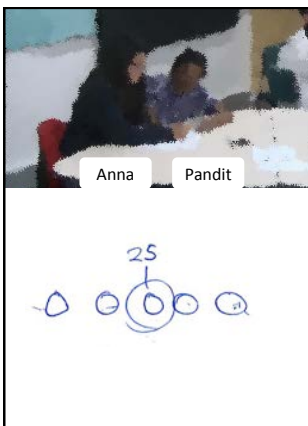
The average age of five people living in a house is 25. One of the five people is a Year 7 student.

What are the ages of the other four people and how are the five people in the house related?

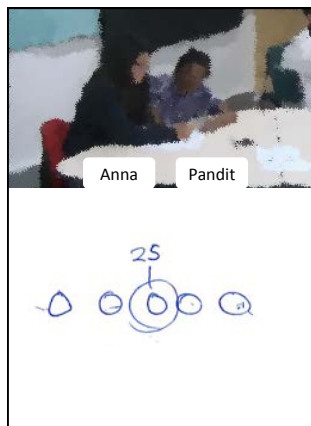
Write a paragraph explaining your answer.

Operationalising socio-cognitive activity

- Co-cognition (Heal, 1998): a person's capacity to mentally simulate the thoughts of another



Anna: Twenty-five.
Pandit: Why are you saying that dude's 25? They don't have to be 25.
Anna: It - it - this one is 25 because that's the average.
Pandit: Average doesn't have to - doesn't mean that one guy has to be 25.
Anna: Oh okay, okay. That makes sense then.
Pandit: Altogether it's 125 because like ...
Anna: Yeah, yeah, yeah.
...



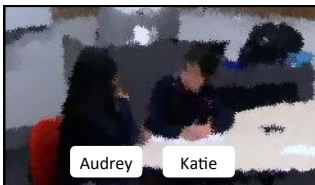
Pandit: Yeah, yeah. So one dude's 13. That means the other four is 112.
Anna: What do you mean? No. It can't - they can't all be like so equal.
Pandit: They're not. Oh my God. Look, so 25's one guy, right. No. It's like for, you know, average means like ...
Anna: I know, I know.
Pandit: Yeah. So 25 times five is the total, right?
Anna: Yeah. I know.
Pandit: So everyone's 125. And one guy is 13.
Anna: I know, one guy. So ...

Operationalising socio-cognitive activity

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Operationalising socio-cognitive activity

- Co-cognition (Heal, 1998): a person's capacity to mentally simulate the thoughts of another
- Inter-cognition: extending or building upon the thoughts of another



Audrey Katie

We chose these ages as we wanted a variety of ages. No. Kate's 13 is one of the many answers as we have used addition, subtraction, division and multiplication. We do make our answer as precise as it can be. Our group has been written on the working out sheet we worked as a pair to get the final answer of:

13 + 12 = 25
 25 + 12 = 37
 37 + 12 = 49
 49 + 12 = 61
 61 + 12 = 73
 73 + 12 = 85
 85 + 12 = 97
 97 + 12 = 109
 109 + 12 = 121
 121 + 12 = 133

← Solution

Katie: Let's write the explanation now. Why did we choose these ages?
 Audrey: We chose these ages as we wanted a variety (laughs).
 Katie: We wanted ...
 Audrey: Because they were all just - ah, I just stabbed myself with a pen. No. Does this have to be ...
 Katie and Audrey: (Laughter)
 Katie: Forty-five, forty-five doesn't make a variety.
 Audrey: Just say because we wanted a variety of ages.
 ...



Audrey Katie

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← Solution

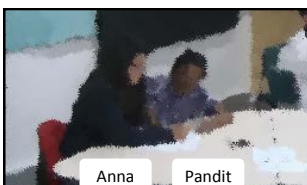
Audrey: ... We know this is correct as ... as we have used addition to add them all.
 Katie: We ...
 Audrey: We used addition to ...
 Katie: No. We can't say it's correct because there could be many answers.
 Audrey: Oh we know this is one of the many answers.
 Katie: We know... (Laughs).
 Katie: ... the answers. As...
 ...

Operationalising socio-cognitive activity

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Operationalising socio-cognitive activity

- Co-cognition (Heal, 1998): a person's capacity to mentally simulate the thoughts of another
- Inter-cognition: extending or building upon the thoughts of another
- Intra-cognition: when two or more people regulate their own thinking as a cognising unit



Anna Pandit

25
 0 0 0 0 0

Pandit: Yeah, yeah. So one dude's 13. That means the other four is 112.
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 Pandit: They're not. Oh my God. Look, so 25's one guy, right. No. It's like for, you know, average means like ...
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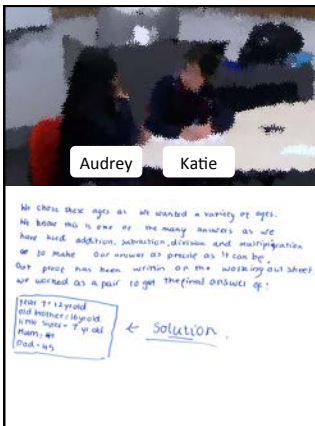
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Audrey: ... We know this is correct as ... as we have used addition to add them all.

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Discussion

- We postulate that these different kinds of socio-cognitive activity are crucial for effective collaborative work as students each think about the other person's thinking (co-cognitive); build on each other's thinking (inter-cognitive); and regulate each other's thinking as a single cognising unit (intra-cognitive).

Discussion (cont'd)

- The nomenclature (co-cognitive, inter-cognitive, and intra-cognitive activity) distinguished in this paper represents the objectification by the participants of their own thought processes (separately and in combination) as suitable matter for evaluative reflection and control by the participants.

Further work

- Our future research will involve examining the connection between the presence and absence of these different forms of socio-cognitive activity in different student groups and the quality of the student collaboration.
- What is the extent to which middle school children can be led to describe their understanding of their classmates' thought processes?

Final thoughts

- We argue that effective collaborative problem solving requires anticipating differences in each other's thought processes.
- Teachers and students could benefit from re-orienting their attention to individual's capacity to model each other's thought processes during student collaborative problem solving and classroom learning in general.

For more details

Clarke, D. J., & Chan, M. C. E. (2020). Dialogue and shared cognition: An examination of student-student talk in the negotiation of mathematical meaning during collaborative problem solving. In N. Mercer, R. Wegerif & L. Major (Eds.), *International handbook of research on dialogic education* (pp. 581-592). Abingdon, Oxon, United Kingdom: Routledge.



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Thank You

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For information about the project, visit:
<http://socialunitoflearning.iccr.edu.au>

For information about the International Centre for Classroom Research (ICCR), visit:
<http://www.iccr.edu.au>



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